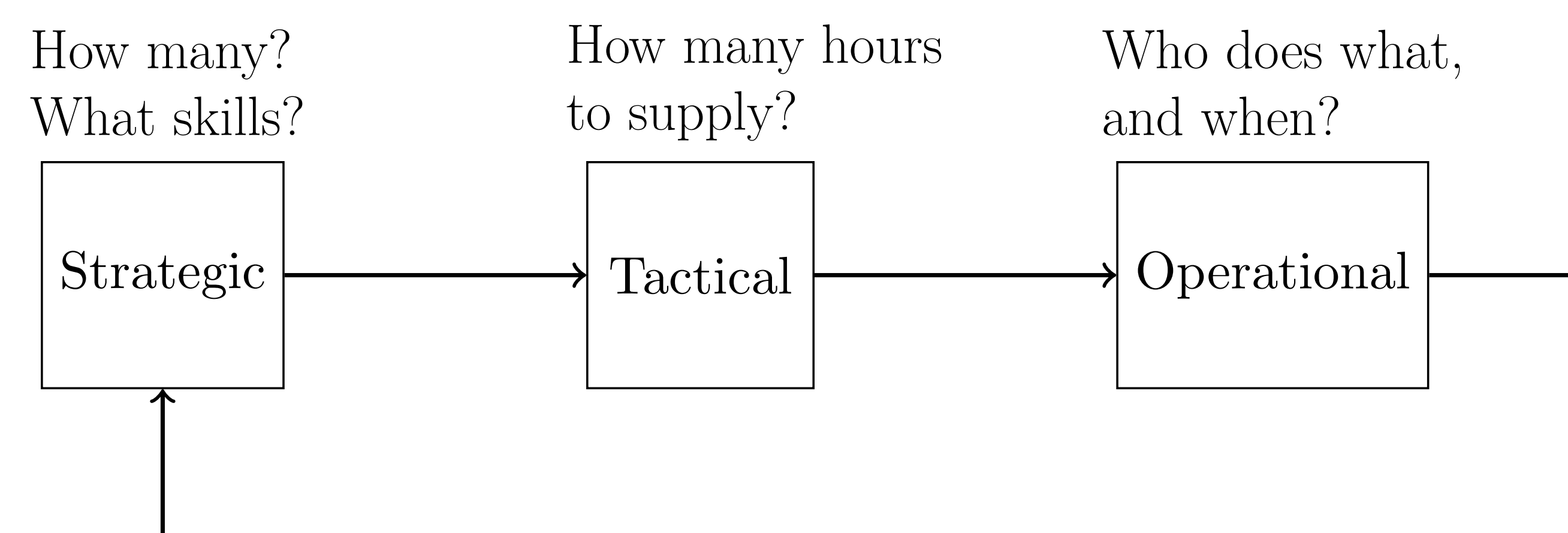


BT's Multi-skilled Workforce



- Multiple types of jobs each requiring **different skills**.
- Over **30,000 engineers** working in the field.
- Jobs and supply hours both **aggregated by skill**.

The Three Stages of Planning



Tactical Planning: matching **supply** (engineers' hours) with **demand** (job-hours) across all days and skills.

BT's Tactical Planning Problem

On each day $t = 1, \dots, T$:

- 1 A plan should give the number of engineer-hours to dedicate to each skill $j \in \mathcal{J} := [J]$ on each day $\tau \in \mathcal{T}(t) := \{t+1, \dots, t+L\}$.
- 2 Jobs are either **appointed** (AP) or **non-appointed** (NA):
 - a AP: done **on** their due date.
 - b NA: done **by** their due date.
- 3 The forecasts for numbers of NA and AP jobs due on each τ for each j are updated.

Task: create a new plan **automatically**, given the old plan and new demand, to maximise job completions in the future.

A Sequential Planning Model

Re-solving a planning model **every day** can be **inefficient**. Instead, we **update the old plan**. At the start of day $t = 1, \dots, T$:

- Yesterday's plan is P^t , it covers all $j \in \mathcal{J}$ and $\tau \in \mathcal{T}(t-1)$.
- The newest job-forecasts are $u_{j,\tau}^t, v_{j,\tau}^t$ for each (j, τ) .
- There are c_τ^t hours of supply still unallocated on each day $\tau \in \mathcal{T}(t)$.
- The **state of the system** is defined as $S^t = (P^t, u^t, v^t, c^t)$.

Given S^t , we want to adjust P^t to create P^{t+1} . For each (j, τ) :

- 1 $N_{j,\tau}^t$ is the number of hours of supply to **add** into the plan.
- 2 $R_{j,\tau}^t$ is the number of hours of supply to **remove** from the plan.
- 3 $M_{j,\tau,\tau-k}^t$ is the number of NA jobs to **move** from day τ to $\tau - k$.

Using our **action** at time t , $A^t = (N^t, M^t, R^t)$, the new plan and capacities are:

$$P^{t+1} = P^t + N^t - R^t,$$

$$c_\tau^{t+1} = c_\tau^t - \sum_{j \in \mathcal{J}} N_{j,\tau}^t + \sum_{j \in \mathcal{J}} R_{j,\tau}^t.$$

A feasible action $A^t \in \mathcal{A}(S^t)$ satisfies a number of **constraints**, e.g. not adding more supply than is available, not moving jobs to days with no free supply, etc.

The **cost** of A^t given S^t , where $q(P^{t+1}, u^t, v^t)$ is a penalisation for missed jobs, is:

$$C(A^t, S^t) = \sum_{j \in \mathcal{J}} \sum_{\tau \in \mathcal{T}(t)} \left\{ \sum_{k=1}^{k_{\max}} a_{j,k} M_{j,\tau,\tau-k}^t - p_j N_{j,\tau}^t + w_j R_{j,\tau}^t \right\} + q(P^{t+1}, u^t, v^t),$$

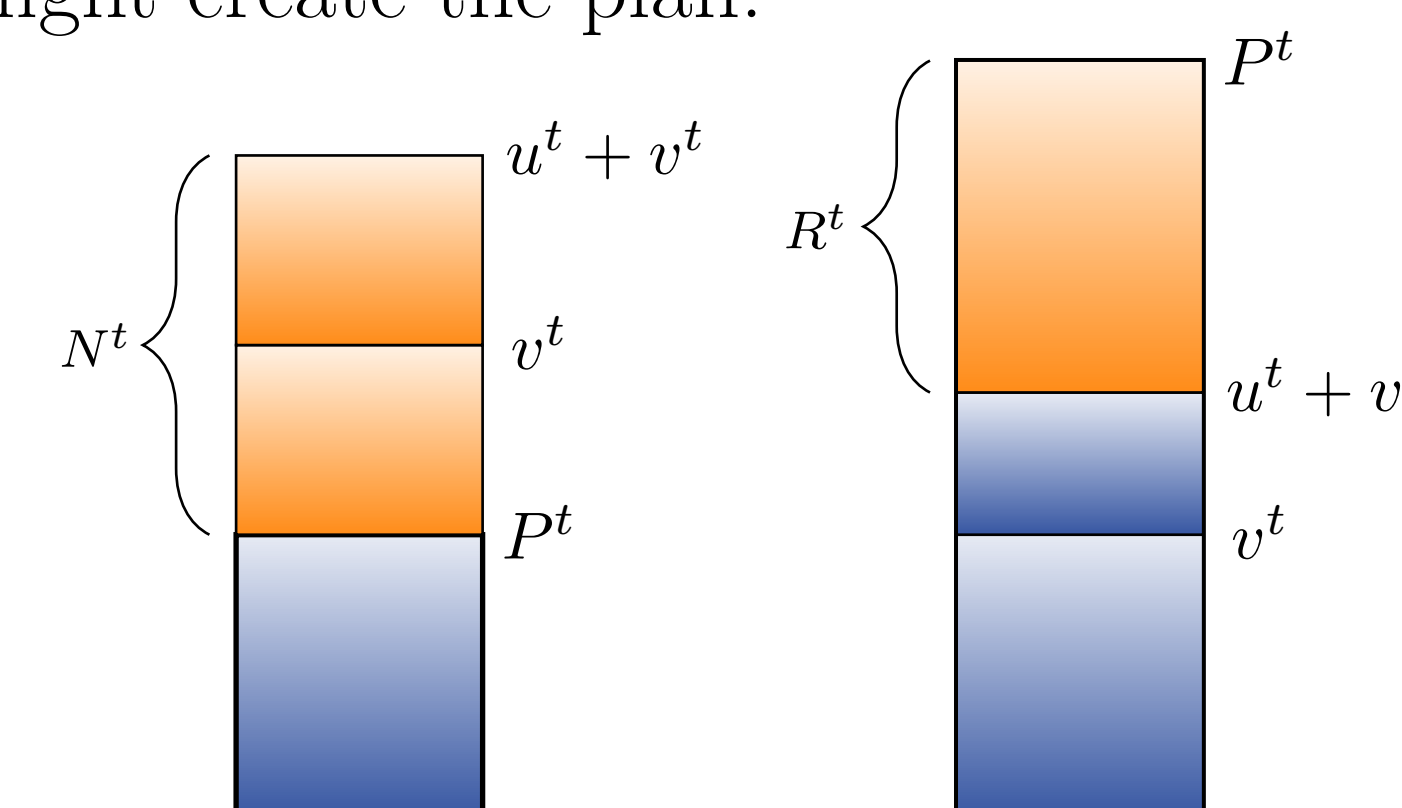
The **objective** is $\min_{A \in \mathcal{A}(S)} \left\{ \sum_{t=1}^T C(A^t, S^t) \right\}$.

Two Myopic Algorithms

Currently we have only studied algorithms that are **myopic** (short-sighted):

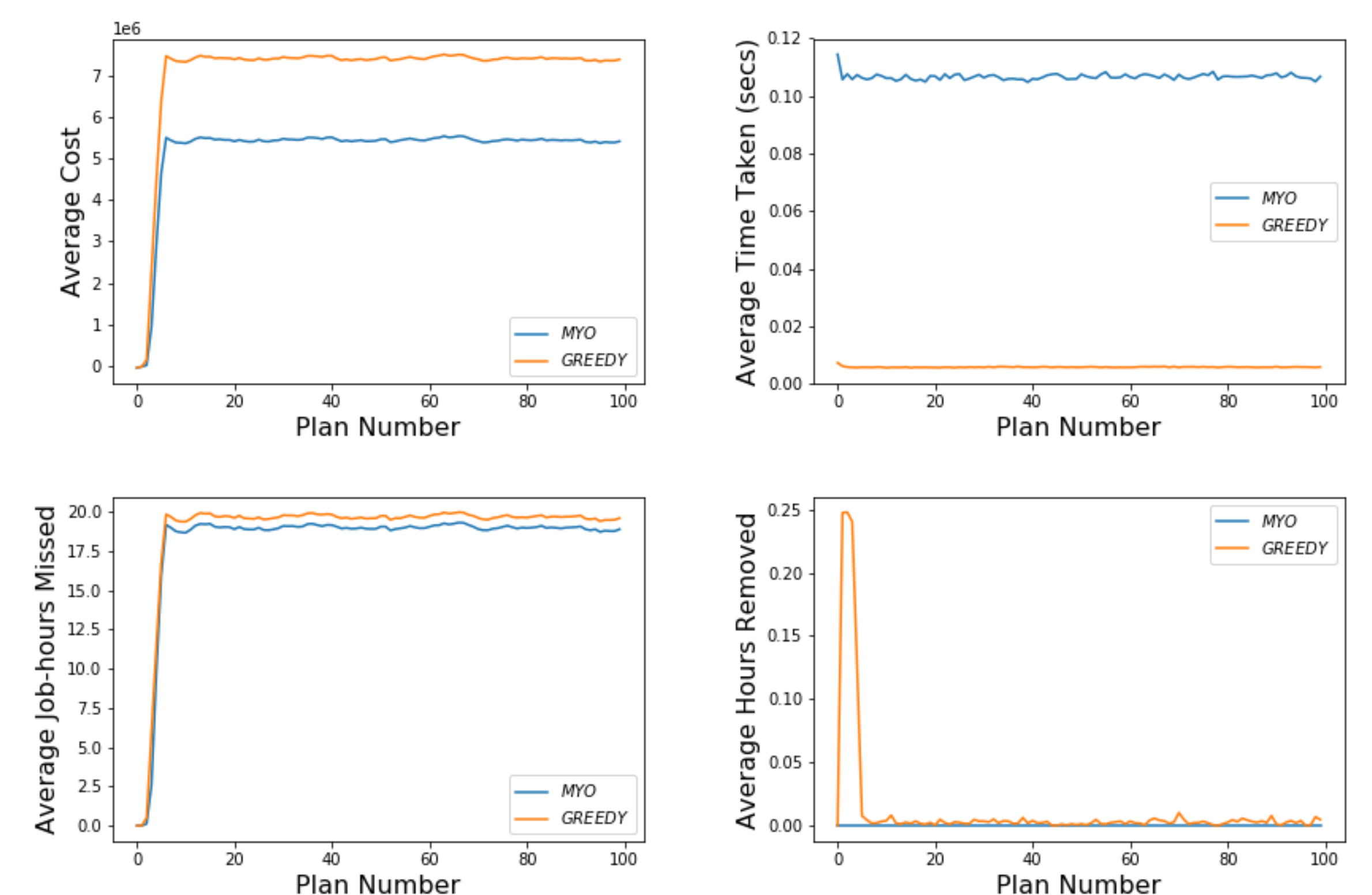
- 1 **MYO**: solve the problem at each t as a linear program, $\min_{A^t \in \mathcal{A}(S^t)} C(A^t, S^t)$.
- 2 **GREEDY**: based on how a human might create the plan:

- a Add supply to cover as many jobs as possible, prioritising AP.
- b Move incomplete NA jobs to days with spare supply.
- c Remove any extra supply that cannot be used.



Experiments and Results

To study how the algorithms compare, we tested them each on the same 100 sets of $T = 100$ days of demand, with $J = L = 7$.



Results Summary: **GREEDY** is much faster, but has higher cost. However, the output plans are almost identical, so there isn't really any reason not to use **GREEDY**.

Future Work and Project Aims

- 1 **Incorporate planning levers**, i.e. ways to control capacity to complete more jobs (e.g. overtime, contractors).
- 2 **Predict due dates**. BT only estimate the number of jobs that **will exist**, not that **will be due**, on each day.
- 3 **Use reinforcement learning** algorithms to produce plans that won't need to be changed in the future.

References

- R. T. Ainslie, S. Shakya, J. McCall, and G. Owusu. Optimising skill matching in the service industry for large multi-skilled workforces. In *Research and Development in Intelligent Systems XXXII*. Springer, 2015.
- Russell Ainslie, John A. W. McCall, Sid Shakya, and Gilbert Owusu. Tactical plan optimisation for large multi-skilled workforces using a bi-level model. *2018 IEEE Congress on Evolutionary Computation (CEC)*, 2018.